## **Approximating** e<sup>n</sup>:

- A. Unfortunately, there is no easy way to calculate e raised to some power 'n' like there is with  $\pi$ . At least, not one that I know of. Because of this, one can only memorize approximates to these powers.
- B. Below are approximates of the powers of n, taken to the 8 <sup>th</sup> power. There should be little need to memorize any more than this.

e<sup>n</sup> and its approximate value

$e^1$	2.7	$e^5$	150
$e^2$	7.5	$e^6$	400
$e^3$	20	$e^7$	1100
$e^4$	55	e <sup>8</sup>	3000

C. Here are some ways we can use these approximations in a question:

Ex [1] 
$$(5e)^3 =$$
 \_\_\_\_\_.

- a. Using the chart above, we can approximate this to be  $5^3$  x 20 or 125 x 20.
- b.  $125 \times 20 = 2500$ .
- c. The answer can be between 2386 and 2636.

Ex [2] 
$$137e^7 =$$
\_\_\_\_\_.

- a. Using the chart we can approximate this to be  $137 \times 1100$ .
- b. 137 x 1100 = 150700.
- c. The answer can be between 142727 and 157750.
- D. This method of memorizing is not ideal, but it was the way I did them when I was taking the tests. If you have your own way, then by all means use it.
- E. Also, note that these are already approximates. It would not be wise to approximate these approximates as you might get beyond the 5% window. These approximates, taken like they are, are guaranteed.